# Ansor : Generating High-Performance Tensor Programs for Deep Learning

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# Deep Learning System Stack



# Introducing Compiler





compiler



A dense layer with ReLU activation

• Math expression:

$$dense_{b,o} = \sum_{i} data_{b,i} \times weight_{o,i}$$
$$relu(b,o) = \max(dense_{b,o}, 0)$$

• Declaration:

#### Halide

```
dense(o, b) += data(i, b) * weight(i, o);
relu(o, b) = max(dense(o, b), 0.0)
```

#### TVM

```
dense = compute(shape, lambda b, o: sum(data[b,i] * weight[o,i], i))
relu = compute(shape, lambda b, o: max(dense[b,o], 0.0))
```

### Billions of possible implementations for it!

# Related Work on Generating High-Performance Tensor Programs

## TVM's Approach

## **AutoTVM: Template-guided search**

Use **templates** to define the search space for every operator

### Drawbacks

- Not fully-automated -> Requires huge manual effort
- Limited search space -> Does not achieve optimal performance



## Halide's Auto-scheduler

## **Sequential Construction Based Search**

Use beam search to generate the programs sequentially

## Drawbacks

- Intermediate candidates are incomplete programs
  - -> The cost model cannot do accurate prediction
- Sequential order
  - -> The error accumulates
  - -> Limits the design of the search space



Incomplete Program				
<pre>for i.0 in range(512):     for j.0 in range(512):     D[] = max(C[], 0.0)</pre>				
How to build the next statement ?				
	Candidate 1 🔶 🗱 Pruned			
	Candidate 2 Kept			
	Candidate 3 Kept			
	Candidate 4 🔶 🗱 Pruned			

Learning to Optimize Halide with Tree Search and Random Programs, SIGGRAPH 19

# Challenges and our approach

## C1: How to build a large search space automatically?

• Use a hierarchical search space

## C2: How to search efficiently?

• Sample complete programs and fine-tune them



# Challenges and our approach



Need to generate programs for all layers -> A lot of search tasks

- C3: How to allocate resource for many search tasks?
  - Utilize a task scheduler to prioritize important tasks

# System Overview



# Program Sampling



# Program Sampling

• **Goal**: automatically construct a large search space and uniformly sample from the space

## • Approach

- Two-level hierarchical search space: Sketch + Annotation
  - **Sketch:** a few good high-level structures
  - Annotation: billions of low-level details
- Sampling process:



# Sketch Generation Examples 1/2

#### Example Input 1:

\* The mathmetical expression:  $C[i,j] = \sum_{k} A[i,k] \times B[k,j]$   $D[i,j] = \max(C[i,j], 0.0)$ where  $0 \le i, j, k < 512$ \* The corresponding naïve program: for i in range(512): for j in range(512): for k in range(512): C[i, j] += A[i, k] \* B[k, j] for i in range(512): for j in range(512): D[i, j] = max(C[i, j], 0.0)

#### \* The corresponding DAG:



Input  $1 \to \sigma(S_0, i = 4) \xrightarrow{\text{Rule 1}} \sigma(S_1, i = 3) \xrightarrow{\text{Rule 4}} \sigma(S_2, i = 2) \xrightarrow{\text{Rule 1}} \sigma(S_3, i = 1) \xrightarrow{\text{Rule 1}} Sketch 1$ 

#### Generated sketch 1

Derivation:

"SSRSRSS" multi-level tiling + fusion

## Sketch Generation Examples 2/2

#### Example Input 2:

\* The mathmetical expression:  $B[i, l] = \max(A[i, l], 0.0)$   $C[i, k] = \begin{cases} B[i, k], & k < 400 \\ 0, & k \ge 400 \end{cases}$   $E[i, j] = \sum_{k} C[i, k] \times D[k, j]$ where  $0 \le i < 8, 0 \le j < 4,$   $0 \le k < 512, 0 \le l < 400$ \* The corresponding naïve program: for i in range(8): for l in range(400):

B[i, 1] = max(A[i, 1], 0.0)
for i in range(8):
 for k in range(512):
 C[i, k] = B[i, k] if k < 400 else 0
for i in range(8):
 for j in range(4):
 for k in range(512):
 E[i, j] += C[i, k] \* D[k, j]</pre>

\* The corresponding DAG:



#### Generated sketch 2

```
for i in range(8):
 for k in range(512):
   C[i, j] = max(A[i,k], 0.0) if k<400 else 0
for i.0 in range(TILE I0):
 for j.0 in range(TILE J0):
   for i.1 in range(TILE I1):
      for j.1 in range(TILE J1):
        for k.0 in range(TILE K0):
          for i.2 in range(TILE I2):
            for j.2 in range(TILE J2):
              for k.1 in range(TILE I1):
                for i.3 in range(TILE_I3):
                  for j.3 in range(TILE J3):
                    E.cache[...] += C[...] * D[...]
        for i.4 in range(TILE I2 * TILE I3):
          for j.4 in range(TILE J2 * TILE J3):
            E[\ldots] = E.cache[\ldots]
```

#### Generated sketch 3

for i in range(8):
 for k in range(512):
 C[i, k] = max(A[i, k], 0.0) if k < 400 else 0
for i in range(8):
 for j in range(4):
 for k\_o in range(TILE\_K0):
 for k\_i in range(TILE\_KI):
 E.rf[...] += C[...] \* D[...]
for i in range(8):
 for j in range(4):
 for k\_i in range(TILE\_KI):
 E[...] += E.rf[...]</pre>

Input 2  $\rightarrow \sigma(S_0, i = 5) \xrightarrow{\text{Rule 5}} \sigma(S_1, i = 5) \xrightarrow{\text{Rule 4}} \sigma(S_2, i = 4) \xrightarrow{\text{Rule 1}} \sigma(S_3, i = 3) \xrightarrow{\text{Rule 1}} \sigma(S_4, i = 2) \xrightarrow{\text{Rule 2}} \sigma(S_5, i = 1) \xrightarrow{\text{Rule 1}} Sketch 2$ 

Input 2 
$$\rightarrow \sigma(S_0, i = 5) \xrightarrow{\text{Rule } 6} \sigma(S_1, i = 4) \xrightarrow{\text{Rule } 1} \sigma(S_2, i = 3) \xrightarrow{\text{Rule } 1} \sigma(S_3, i = 2) \xrightarrow{\text{Rule } 2} \sigma(S_4, i = 1) \xrightarrow{\text{Rule } 1} Sketch 3$$

## Random Annotation Examples

#### Generated sketch 1

#### Sampled program 1

```
parallel i.0@j.0@i.1@j.1 in range(256):
    for k.0 in range(32):
        for i.2 in range(16):
            unroll k.1 in range(16):
            unroll i.3 in range(4):
            vectorize j.3 in range(16):
                C[...] += A[...] * B[...]
    for i.4 in range(64):
        vectorize j.4 in range(16):
            D[...] = max(C[...], 0.0)
```

#### Sampled program 2

```
parallel i.2 in range(16):
    for j.2 in range(128):
        for k.1 in range(512):
            for i.3 in range(32):
                vectorize j.3 in range(4):
                      C[...] += A[...] * B[...]
parallel i.4 in range(512):
        for j.4 in range(512):
        D[...] = max(C[...], 0.0)
```

# Performance Fine-tuning



# **Evolutionary Search**

- Random sampling does not guarantee the performance
- Perform evolutionary search with learned cost model on sampled programs

## mutation

- Randomly mutate tile size
- Randomly mutate parallel/unroll/vectorize factor and granularity
- Randomly mutate computation location
- crossover



## Learned Cost Model

• Predict the score of each non-loop innermost statement

### Example:

	for i in range(10):	
	for j in range(10):	
Statement B:	B[i][j] = A[i] * 2	
	for i in range(10):	
Statement C:	C[i] = B[i][i] - 3	

Cost = Cost of Statement B + Cost of Statement C

- Extract features for every non-loop innermost statement:
  - used cache lines, used memory, reuse distance, arithmetic intensity, ...
- Train on-the-fly with measured programs (typically less than 30,000)

# Task Scheduler



# Task Scheduler

- There are many **subgraphs** (search tasks) in a network
  - Example: ResNet-50 has 29 unique subgraphs after partition
- **Existing systems**: sequential optimization with a fixed allocation

Task 1		
	Task 2	
	Task 3	

• **Our task scheduler**: slice the time and prioritize important subgraphs



- Predict each task's impact on the end-to-end objective function
  - Using optimistic guess and similarity between tasks

# Evaluation Results

**Three levels** : single operator, subgraph and network

# Single Operator

## **Platform:**

Intel-Platinum 8124M (18 cores)

## **Operators:**

conv1d (C1D), conv2d (C2D), conv3d (C3D), matmul (GMM) group conv2d (GRP), dilated conv2d (DIL) depthwise conv2d (DEP), conv2d transpose (T2D), capsule conv2d (CAP), matrix 2-norm (NRM)



### Analysis:

Unroll to simplify the multiplication of zeros in the strided case

For most test cases, the best programs found by Ansor are outside the search space of existing search-based frameworks.

# Subgraph

## **Platforms:**

"@C" for Intel CPU (8124M) "@G" for NVIDIA (V100)

Subgraphs: ConvLayer = conv2d + bn + relu TBS = transpose + batch\_matmul + softmax



## Analysis:

Comprehensive coverage of the search space gives  $1.1 - 14.2 \times$  speedup against the best alternative.

# Network

Platforms: Intel CPU (8124M) NVIDIA GPU (V100) ARM CPU (A53)

**Networks:** ResNet-50, Mobilenet V2, 3D-ResNet, DCGAN, BERT



## Analysis

• Ansor performs best or equally the best in all test cases with up to 3.8x speedup

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## Analysis

- Ansor performs best or equally the best in all test cases with up to 3.8x speedup
- Ansor delivers portable performance

# Ablation Study



## Analysis

- The most important factor is the search space
- Fine-tuning improves the search results significantly
- Task scheduler accelerates the search
- Match the performance of AutoTVM with 10x less search time

## Summary

- Search-based compilation enables to generate high-performance tensor programs for deep learning
- Ansor introduces techniques to improve the search in three aspects:
  - Large search space
  - Efficient search algorithm
  - Smart search scheduling

- Thank you for listening
- Email me to ask follow-up questions: <a href="mailto:lianminzheng@gmail.com">lianminzheng@gmail.com</a>